

# Beam Probe Imaging Method for Edge Plasma Modeling in CHS

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A neutral lithium beam probe with variable beam injection angle has been developed for the CHS (**2D-LiBP**).

**An image of 2D plasma structure** is obtained by changing the beam injection angle shot by shot, showing **an asymmetric plasma structure** in the edge chaotic layer of CHS.

# Plasma Diagnostics Using a LiBP

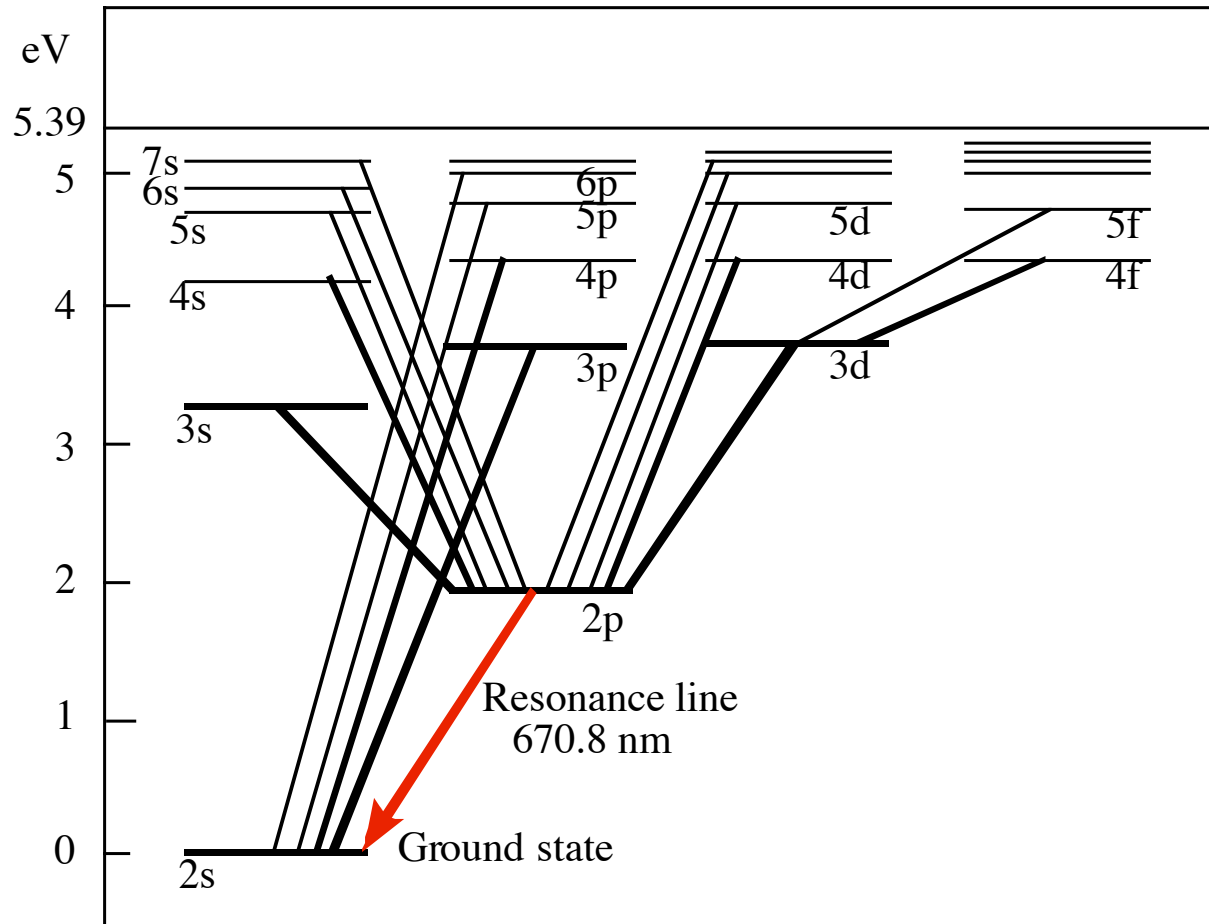
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## Edge Plasma Diagnostics with High Spatial Resolution

- (1) Beam Emission Intensity · · ·  $n_e, \tilde{n}_e$   
Emission intensity is proportional to electron density  
density reconstruction based on [collisional-radiative model](#)
- (2) Polarization of Spectral Line · · ·  $B, J$   
Polarization of Zeeman splitted line  
 $\pi$ -component is parallel to  $B$ ,  $\sigma$ -component is perpendicular to  $B$
- (3) Charge Exchange Recombination Spectroscopy · · ·  $T_z, n_z$   
Doppler broadening of impurity spectral line  
Large charge exchange cross section

# Lithium Neutral Beam Probe (LiBP)

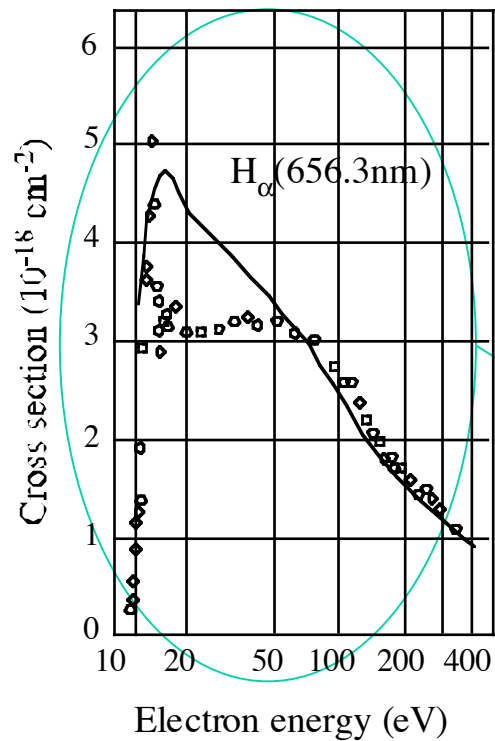
Energy level of the lithium atom



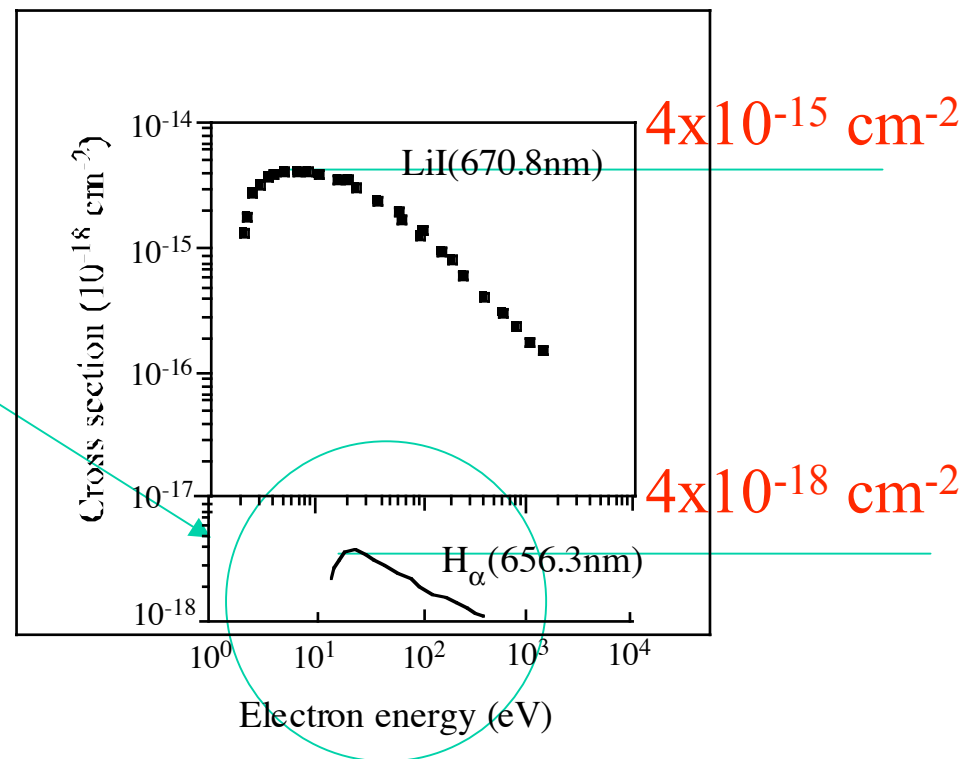
# Lithium Neutral Beam Probe (LiBP)

Excitation cross-sections by electron impact collisions

$H_{\alpha}$  emission



Li(I) emission



# Beam Transport in a Plasma

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Beam attenuation due to electron impact ionization

$$\frac{dn_b(z)}{dz} = -n_b(z)n_e(z) \frac{\langle \sigma_{ion} v_r \rangle_e}{v_b}$$

Electron density

Beam density in the plasma

$$n_b(z) = n_b(0) \exp \left\{ - \int_0^z n_e(z) \frac{\langle \sigma_{ion} v_r \rangle_e}{v_b} dz \right\} = n_b(0) F_{att}^e(z)$$

Effective cross section ( $T_e$ )

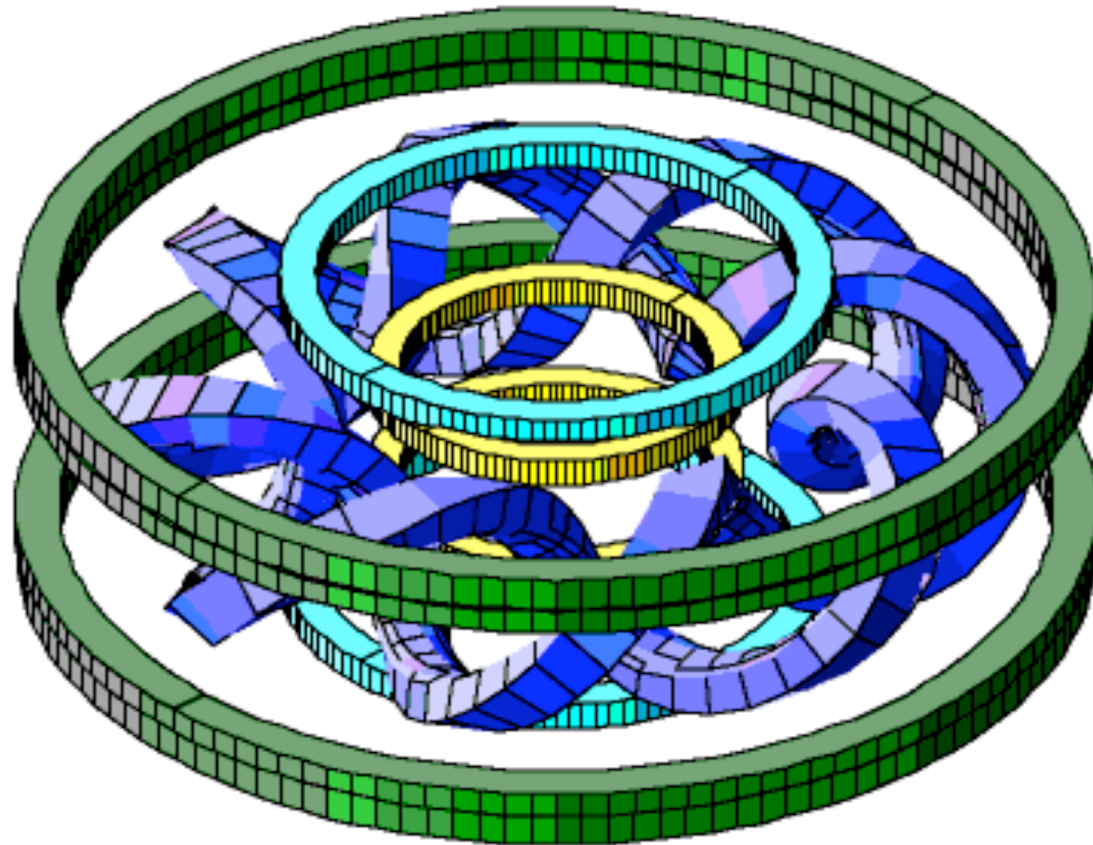
Total attenuation factor

$$F_{att}^{total}(z) = \exp \left\{ - \int_0^z \sum_{k,j} n_j(z) \frac{\langle \sigma_k v_r \rangle}{v_b} dz \right\}$$

$k$ : kind of interaction     $j$ : plasma particle species

# Compact Helical System (CHS)

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Major Radius:

$$R = 1.0 \text{ m}$$

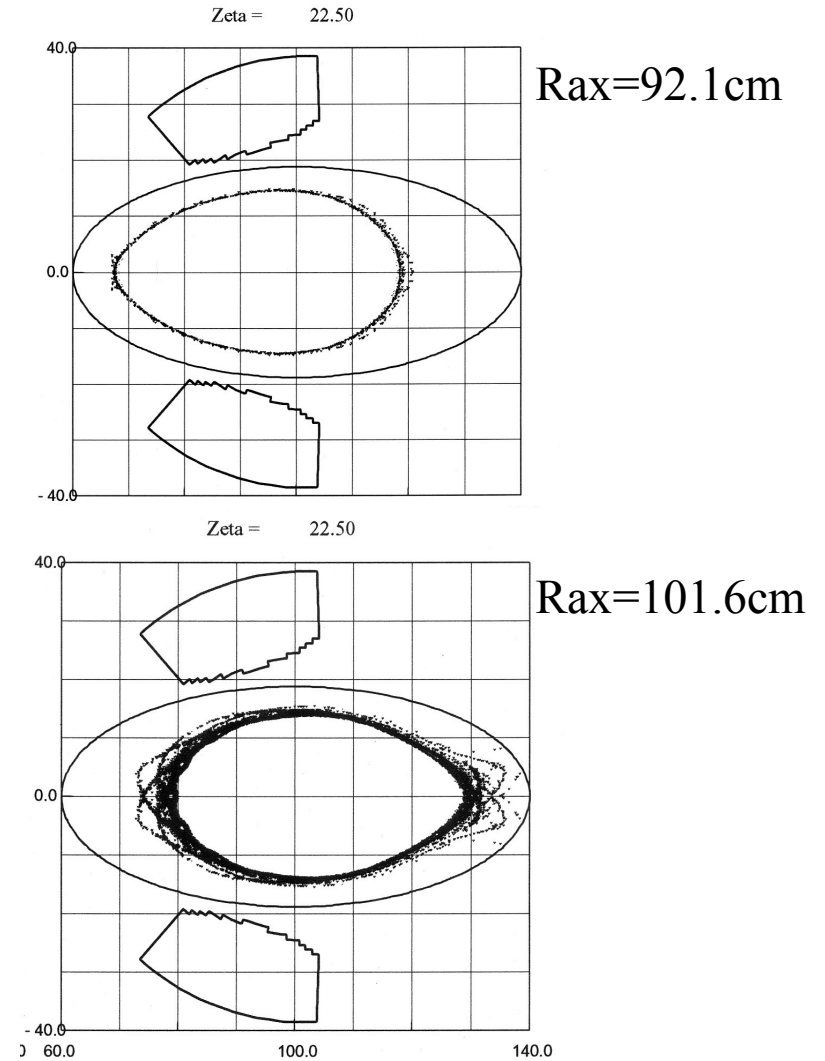
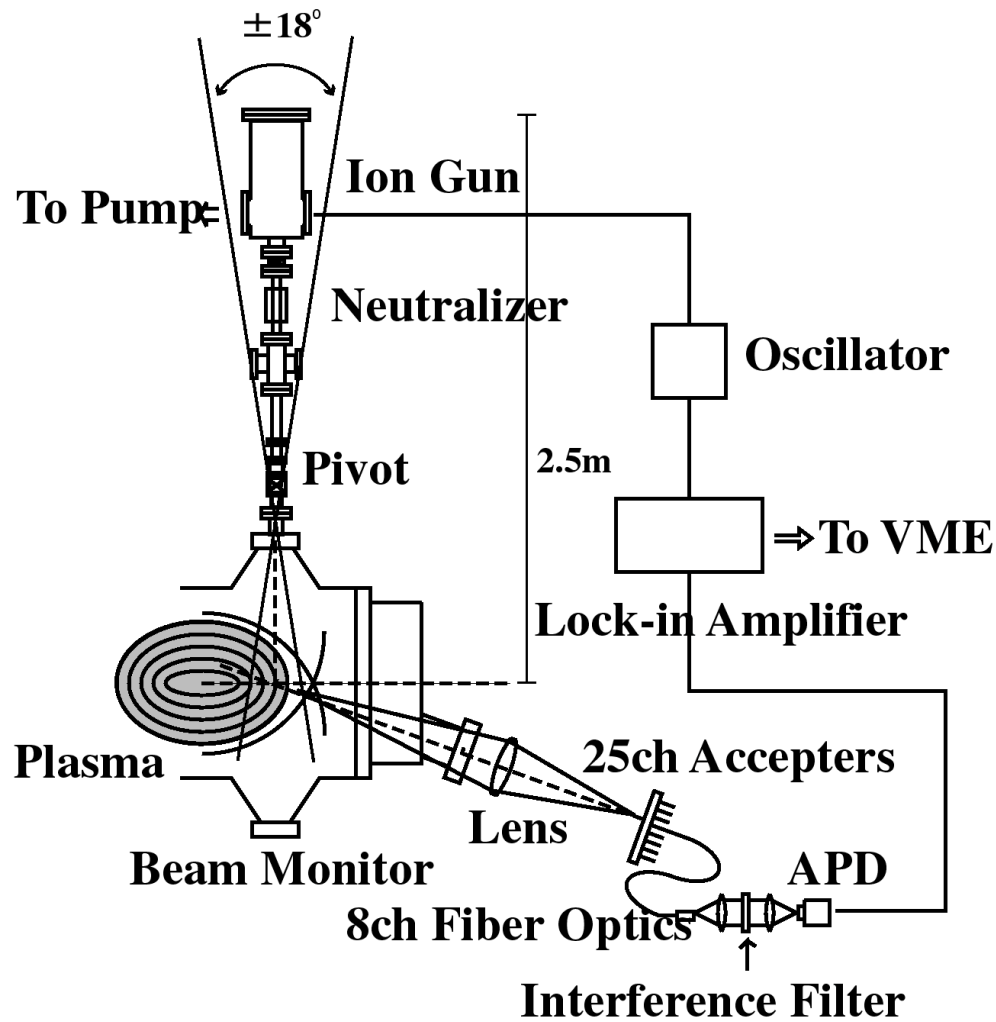
Minor Radius:

$$a = 0.2 \text{ m}$$

Magnetic Field:

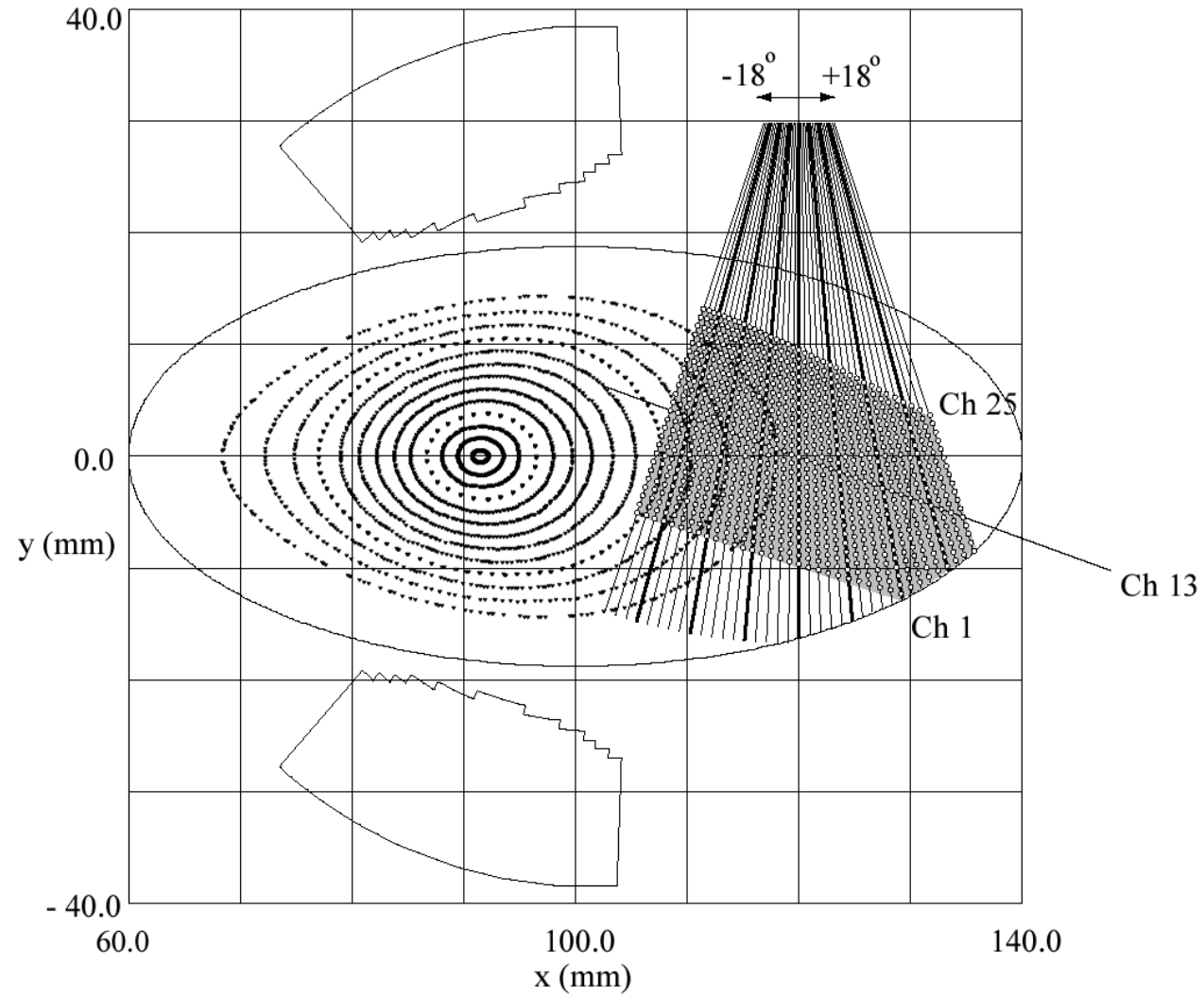
$$B = 1.8 \text{ T}$$

# Example : 15 kV LiBP for CHS



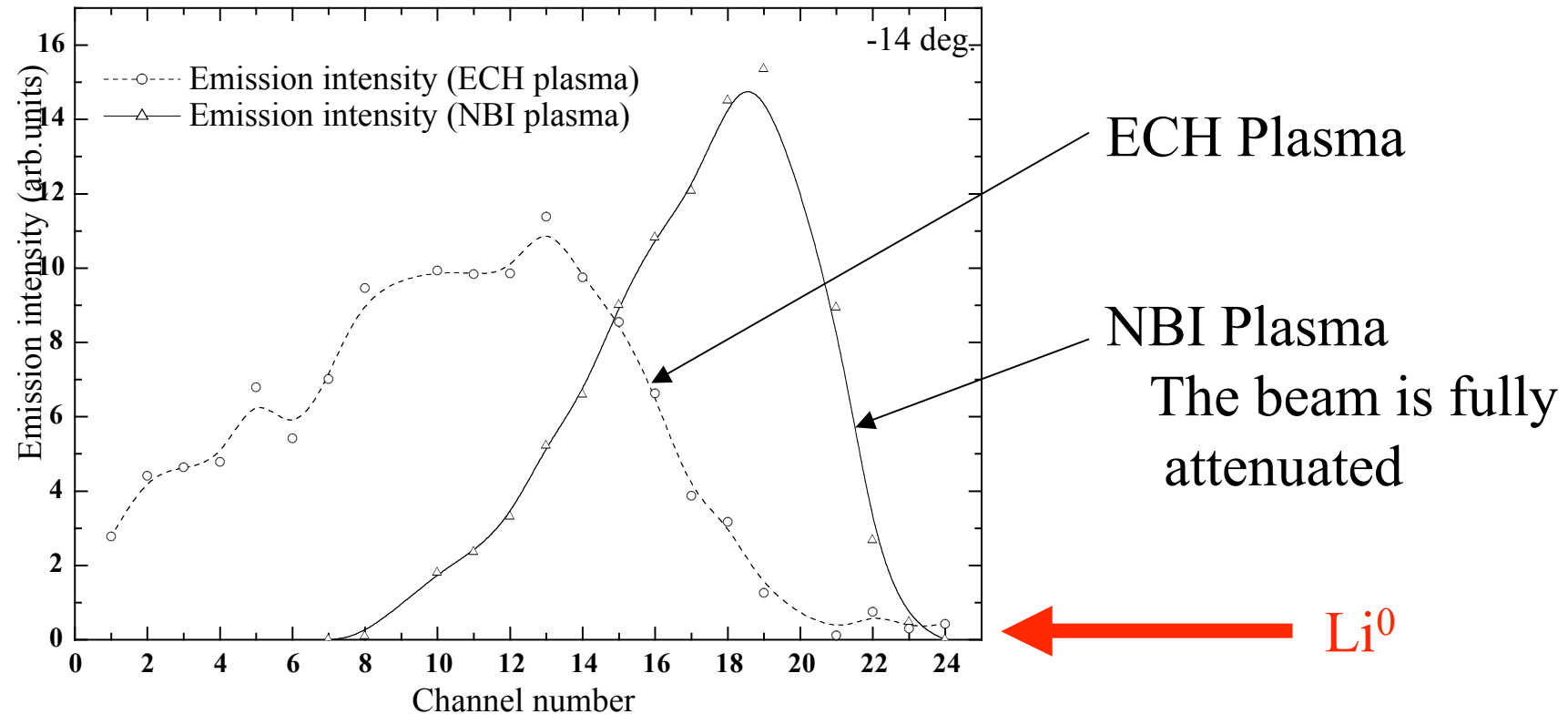
# Observation Area

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# Beam Emission Intensity



# Electron Density Profile Reconstruction

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Method I : Gas Calibration Method

$$I_v^{gas} = n_b n_{gas} \sigma_{em}^{gas} v_b S l_{sv} \Omega / 4\pi$$

$$n_e(z) = n_{gas} \frac{I_v(z)}{I_v^{gas}(z)} \frac{n_{b0}}{n_b(z)} \frac{\sigma_{em}^{gas} v_b}{\langle \sigma_{em} v_r \rangle_{eff}}$$

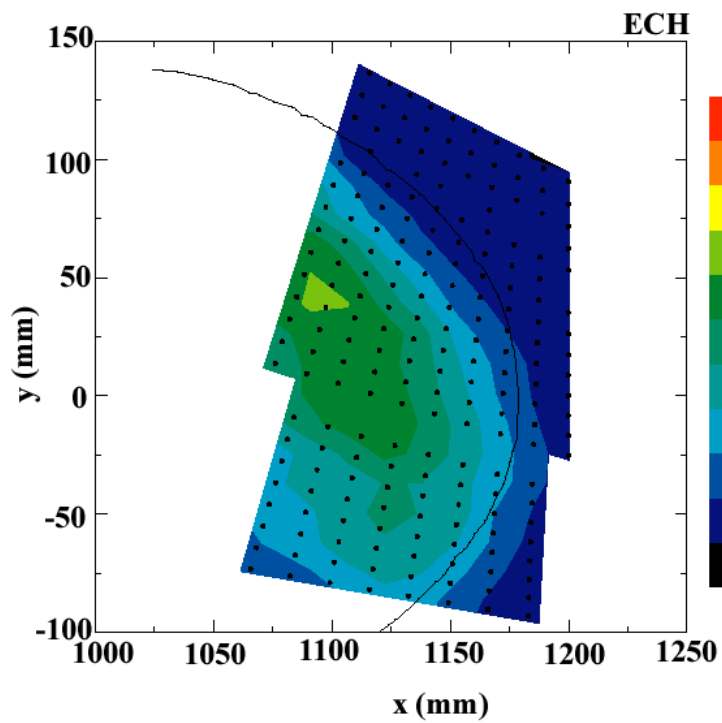
Method II : Beam Attenuation Method

$$\frac{1}{n_b(z)} \frac{dn_b(z)}{dz} = -n_b(z) \frac{\langle \sigma_{ion} v_r \rangle_{eff}}{v_b}$$

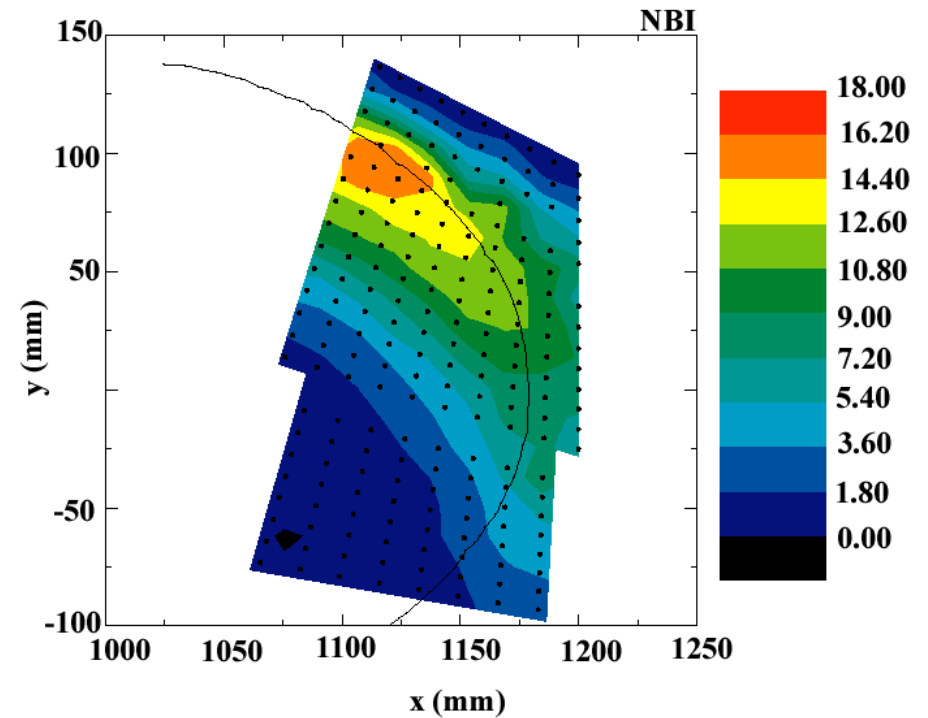
$$n_e(z) = \frac{I_v(z) v_b}{\langle \sigma_{em} v_r \rangle_{eff}} / \int_z^{z_1} I_v(\xi) \frac{\langle \sigma_{ion} v_r \rangle_{eff}}{\langle \sigma_{em} v_r \rangle_{eff}} d\xi$$

# 2-D Beam Emission Intensity

$$R_{ax} = 92.1 \text{ cm}$$



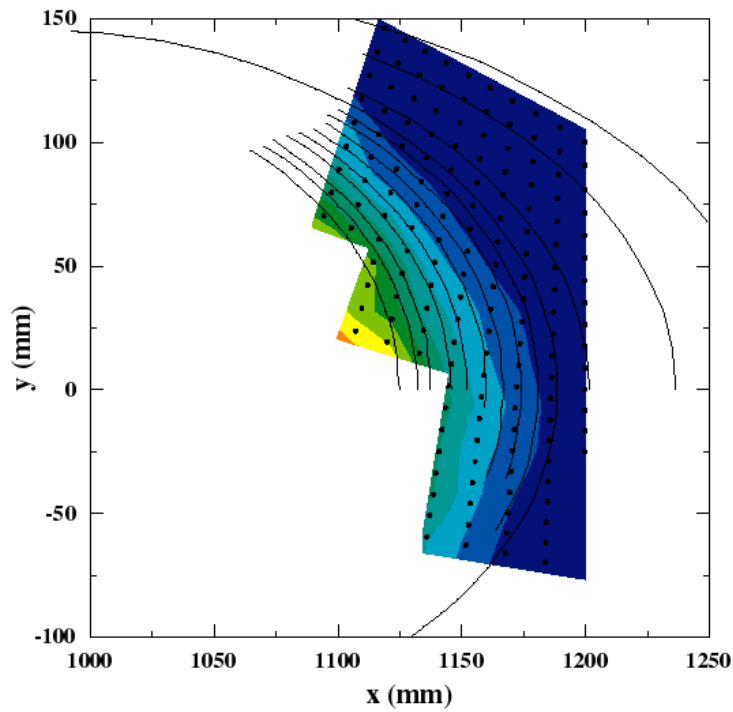
ECH plasma



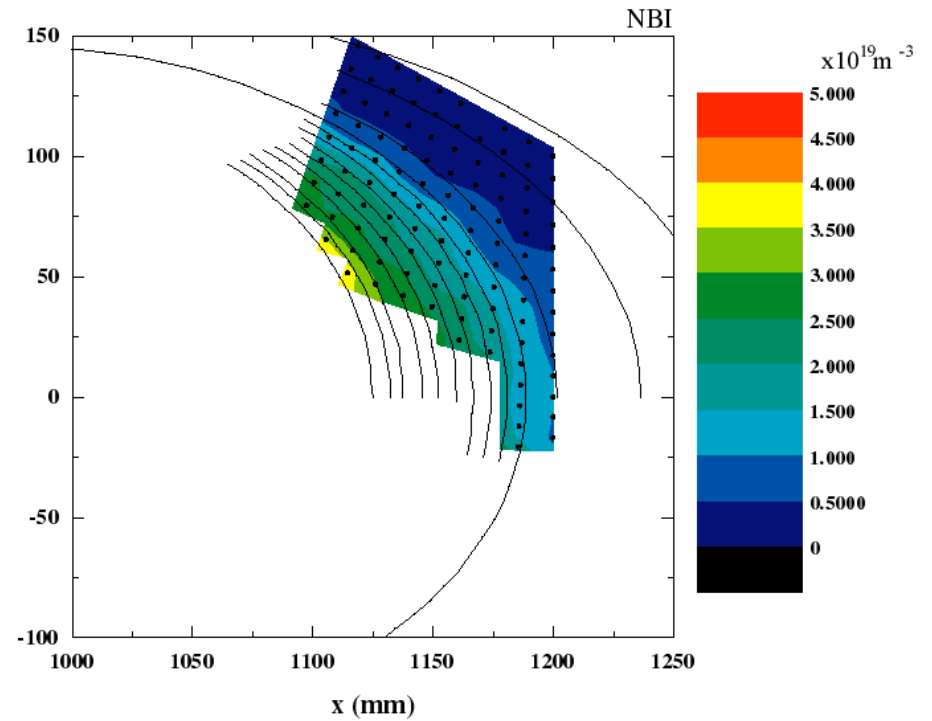
NBI plasma

# Reconstructed Density Profiles

$$R_{ax} = 92.1 \text{ cm}$$



ECH plasma

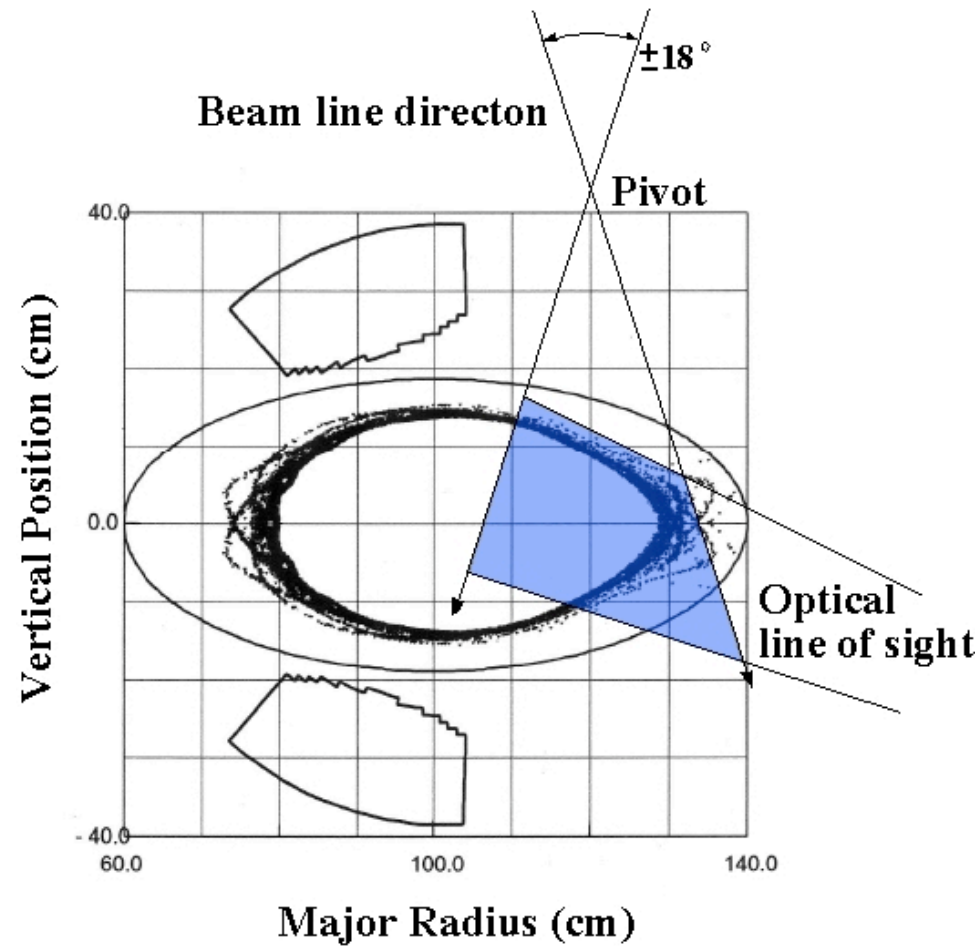


NBI plasma

# Discharge for Magnetic Divertor Configuration

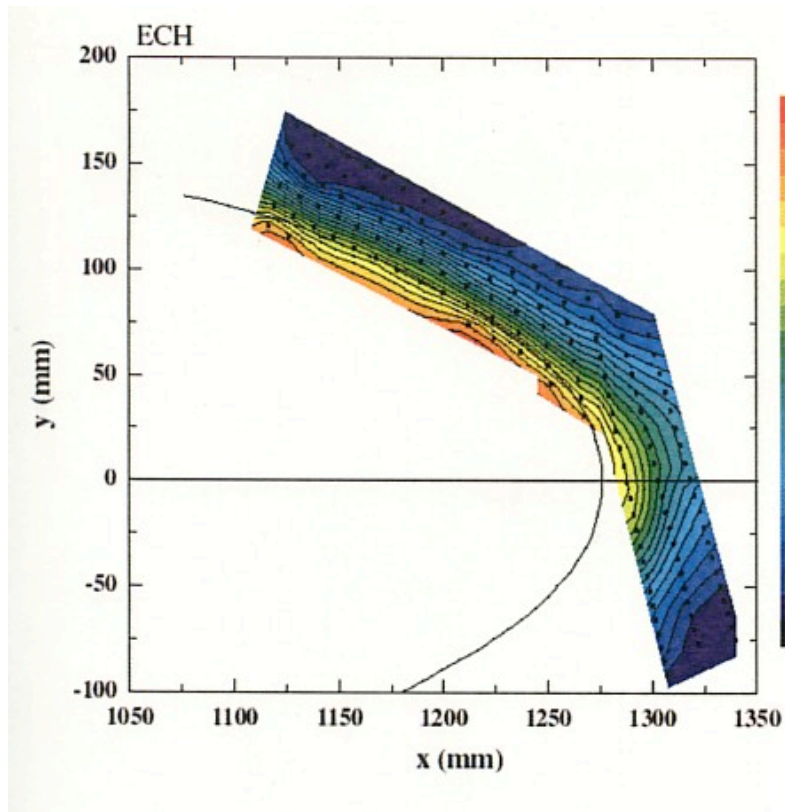
$$R_{ax} = 101.6 \text{ cm (Normal B / CCW)}$$

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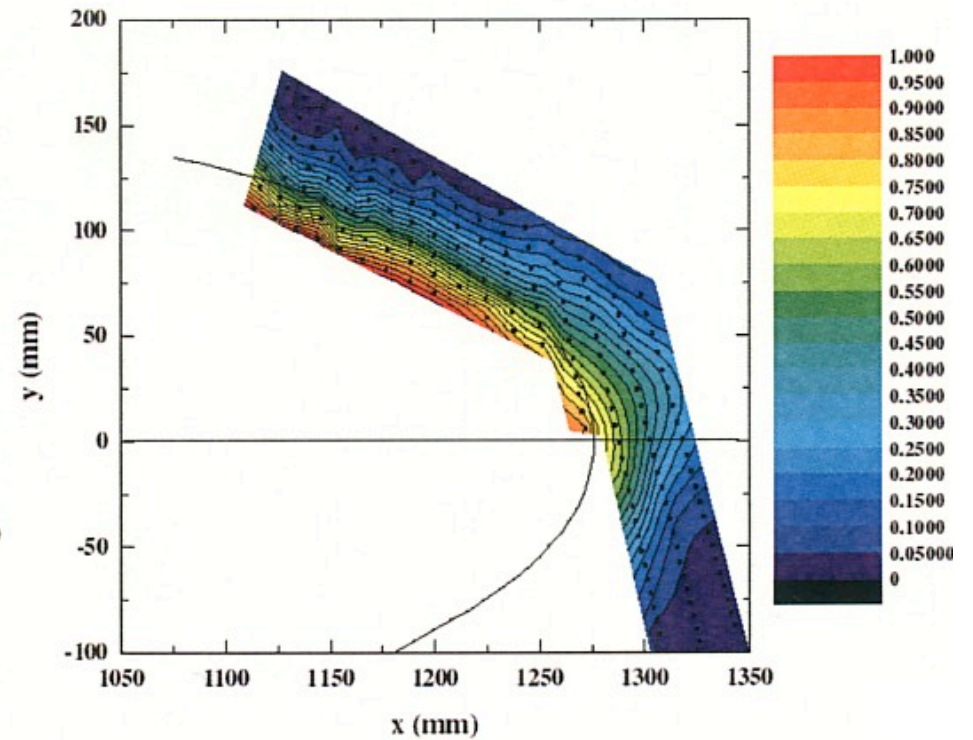


# Reconstructed Density Profiles

$R_{ax} = 101.6$  cm (Normal B / CCW)



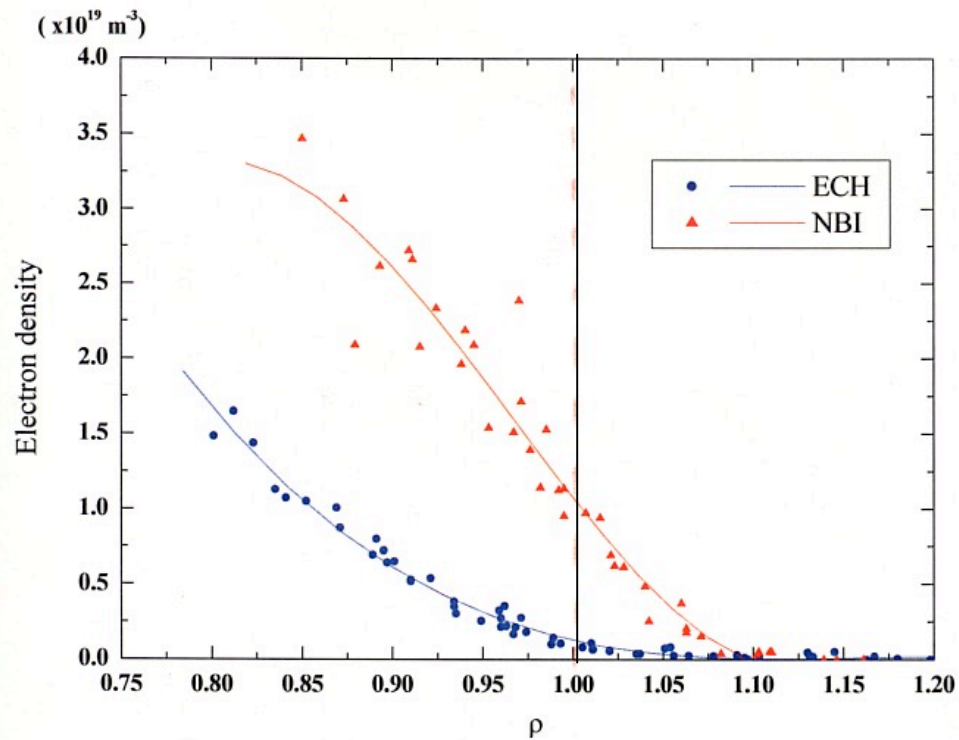
ECH plasma



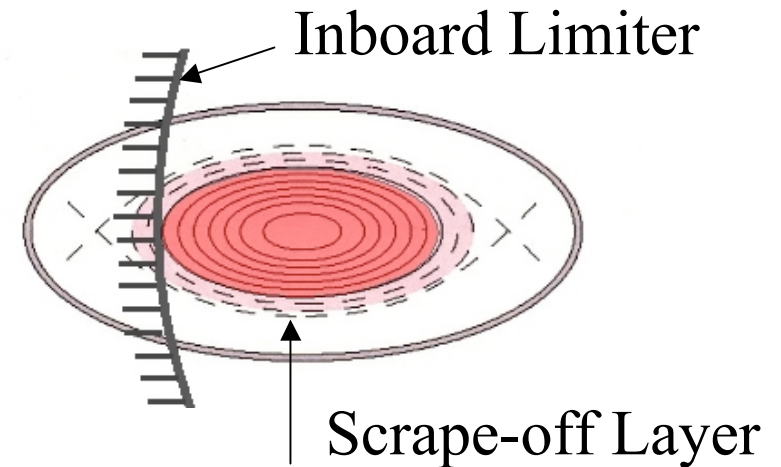
NBI plasma

# Modeling of CHS Edge Plasma

## Inboard Limiter Configuration (1)



Electron density is a function of magnetic flux even outside the LCFS. (Data points are taken at different poloidal location (different beam injection angle))



Field line connection length

$$L_{\parallel} = 2\pi R$$

Parallel confinement time

$$\tau_{\parallel} = L_{\parallel} / c_s$$

Mean free path for Frank-Condon neutral

$$l_{FC} = v_{FC} / n_e \langle \sigma v \rangle_i$$

# Modeling of CHS Edge Plasma

## Inboard Limiter Configuration (2)

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Particle flux balance (cylindrical model)

$$\nabla \cdot \vec{\Gamma} = \Gamma_r + \Gamma_z = n_e n_0 \langle \sigma v \rangle_i$$

$$\Gamma_r = -D_{\perp} \frac{\partial n_e}{\partial r} \quad \Gamma_z = n_e c_s$$

$$-D_{\perp} \left( \frac{\partial^2 n_e}{\partial r^2} + \frac{1}{r} \frac{\partial n_e}{\partial r} \right) + n_e \frac{c_s}{L_{\parallel}} - n_e n_0 \langle \sigma v \rangle_i = 0$$

$$\frac{\partial^2 n_e}{\partial r^2} + \frac{1}{r} \frac{\partial n_e}{\partial r} - n_e \left[ \frac{c_s / L_{\parallel} - n_0 \langle \sigma v \rangle_i}{D_{\perp}} \right] = 0$$

(Bessel's Differential Equation)

Slab model approximation

$$\frac{\partial^2 n_e}{\partial r^2} - n_e \left[ \frac{c_s / L_{\parallel} - n_0 \langle \sigma v \rangle_i}{D_{\perp}} \right] = 0$$

Assuming the density profile as

$$n_e \equiv n_a \exp[-(r - a) / \lambda_n]$$

Density gradient scale length in the scrap off layer is

$$\lambda_n = \left[ \frac{D_{\perp}}{c_s / L_{\parallel} - n_0 \langle \sigma v \rangle_i} \right]$$

In CHS

$$c_s / L_{\parallel} \gg n_0 \langle \sigma v \rangle_i$$

Then

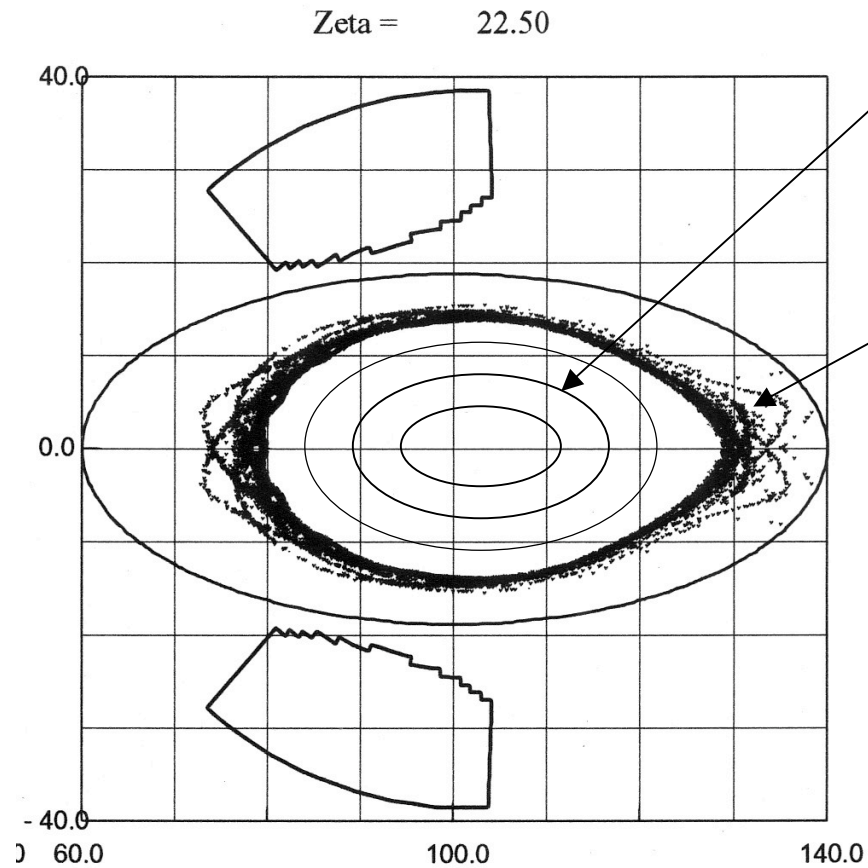
$$\lambda_n = \left[ \frac{D_{\perp}}{c_s / L_{\parallel}} \right]$$



# Modeling of CHS Edge Plasma

## Magnetic Divertor Configuration

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Equilibrium in the core plasma

$$\nabla p = J \times B$$

Equilibrium in the chaotic layer ?

Perpendicular

Parallel

# Summary

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- A LiBP has been extended to a two-dimensional imaging diagnostic (2D-LiBP) in CHS : **Beam Probe Imaging**.
- The 2D image has shown **asymmetric plasma structure** in the chaotic magnetic field region, which suggests the necessity of new edge plasma modeling in the ergodized magnetic field layer.