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### Design of Spheromak Injector using Conical Accelerator for Large Helical Device

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#### Abstract

Optimization of CT injector for LHD has been carried out and conical electrode for adiabatic CT compression is adopted in the design. Point-model of CT acceleration in a co-axial electrode is solved to optimize the electrode geometry and the power supplies. Large acceleration efficiency of 34 % is to be obtained with 3.2 m long conical accelerator and 40 kV - 42 kJ power supply. The operation scenario of a CT injector named SPICA mk. I (SPheromak Injector using Conical Accelerator) consisting of 0.8 m conical accelerator is discussed based on this design.

Keywords: Compact Toroid, LHD, acceleration efficiency, conical accelerator, adiabatic compression

### 1. Introduction

Compact toroid (CT) injection is a new fueling method that is capable of central fueling into hot fusion plasmas [1-3]. Conventional fueling methods such as gas puffing and ice-pellet injection are not adequate for deep fueling because neutral particles injected into hot plasmas are ionized immediately and the subsequent penetration is shallow. Cold neutrals also cause the loss of hot particles through the charge exchange reaction, and high fueling efficiency is not expected. CT is a dense magnetized plasmoid and can be easily accelerated over hundreds of km/s by the electro-magnetic force [4-8]. A highspeed CT can penetrate into the hot main plasma that is confined in the strong magnetic field and thus the center fueling is achievable [9-11]. The peaked density profile obtained after the center fueling is favorable because the density gradient causes the rotation of plasmas. The rotation of fusion plasma is indispensable to achieve the high-confinement condition [12-17]. The large momentum carried by the high-speed CT is also useful to rotate the main plasma.

Spheromak is one of CT configurations where both of the toroidal- and poloidal-magnetic fields are generated and sustained by currents flowing only inside the spheromak itself [18]. This CT is usually formed using a co-axial magnetized plasma gun, and accelerated by another co-axial accelerator connected to the formation electrode. In the accelerator part, the radial current flowing between the inner- and the outer-electrode accelerates the CT with its  $J \times B$  force. High-energy capacitor banks supply the accelerator with the radial current and the CT kinetic energy is in proportion to the bank energy

in general. A CT injected into the magnetically confined fusion plasmas suffers from the repelling force due to the gradient of magnetic field strength  $\nabla B^2$  [19-21]. Therefore, sufficient kinetic energy that is comparable to the magnetic potential energy  $V_{CT}B^2/(2\mu_0)$  ( $V_{CT}$ : CT volume) is necessary to inject the CT deep inside the strong magnetic field. CT kinetic energy of more than 15 kJ should be supplied to inject a spherical CT of 0.1 m radius into 3 T magnetic field, for instance. The ratio of CT kinetic energy to the bank energy is defined as the acceleration efficiency  $\varepsilon$ . High efficiency is required to reduce the total cost of a CT injector that largely depends on the capacitor bank energy. It is shown in this paper that  $\varepsilon$  is a function of  $L/L_{\rm ext}$  (where L is the inductance of the co-axial accelerator,  $L_{cx}$  is the external inductance of the acceleration circuit). Large L and/or small  $L_{ev}$  are favorable to attain large  $\varepsilon$  . The ratio  $R_{\rm out}/R_{\rm in}$  ( $R_{\rm in}$ : the inner-electrode radius, and Rout the outer-electrode radius) and the electrode length l determine L. When  $R_{out}/R_{in}$ and/or l are large, L is also large.

The lifetime of a CT  $\tau_{\rm CT}$  is one of the important parameters especially in the large reactor-sized devices such as ITER (International Thermonuclear Experiment Reactor) and LHD (Large Helical Device) [22, 23]. As the distance from the injection port to the main plasma is long, the time-of-flight is expected to be long comparable to  $\tau_{\rm CT}$  of a usual CT in these large devices. For the case of dense and low-temperature CT,  $\tau_{\rm CT}$  is determined by the resistive decay as  $\tau_{\rm CT} \simeq \mu J(\lambda^2 \eta)$ , where  $\eta$  is the Spitzer resistivity,  $\lambda$  is the Taylor eigenvalue ( $\nabla \times B = \lambda B$  in the force-free

spheromak) and  $1/\lambda = a_{CI}/4.493$  ( $a_{CI}$ : the radius of CT sphere) in the spherical geometry [11]. Typical electron temperature of a spheromak is a few tenth of eV [24, 25] and this gives  $\eta$  of the order of  $10^{-5}~\Omega$  ·m. Accordingly,  $\tau_{CT}$  is  $5\times10^{-5}$ sec in the case of  $a_{\rm CT} = 0.1$  m, for example. Because  $\alpha$  is determined by the CT radius that cannot exceed the main plasma radius, it is efficient to heat up the CT and increase the electron temperature to extend  $\tau_{CL}$ . The simplest heating scheme that requires no external devices is the adiabatic compression. Although CT compression has been already adopted in recent CT injectors, only an increase of the CT density has been highlighted. To carry out the adiabatic compression to increase the temperature, it is necessary to keep proper relations between the CT compression time  $\tau_{comp}$  and other time-constants such as collision time, energy confinement time, and the time of Alfvén wave transmission across the CT radius  $\tau_A$  [26-29]. For example,  $\tau_A$  $\tau$  comp is required to compress the CT selfsimilarly without generating shock waves. Although the typical CT injectors have been equipped with the compression cones after the straight co-axial electrodes, the condition  $\tau_A \ll$  $\tau_{\text{comp}}$  has not been achieved due to insufficient length of the cones. In this paper, a conical accelerator is proposed to extend  $\tau_{comp}$  as long as the CT acceleration time  $\tau_{acc}$ . Changes in CT parameters such as the magnetic field strength, the temperature, and the density etc. before and after the compression are calculated assuming the adiabatic condition.

As mentioned above, one can obtain the high acceleration efficiency when the ratio  $R_{out}/R_{in}$ is large enough. Large Rout/Rin means relatively small  $R_{in}$  that results in the comparatively strong magnetic field around the inner-electrode. If the acceleration current  $I_{acc}$  is extremely large, the current blows out CT and normal acceleration is hardly achieved. Experimentally, the threshold to avoid this "blowby" phenomenon is given by  $B_{CT}$  $> B_{\rm acc}$ , where  $B_{\rm CT}$  is CT magnetic field and  $B_{\rm acc}$  is the magnetic field generated by  $I_{acc}$  (refs. 5-7). Therefore,  $B_{CI}$ , which is mainly determined by the bias magnetic field, should be larger than  $B_{acc}$ , which is large when  $R_{\rm m}$  is small. On the other hand, smaller bias magnetic field is favorable because that requires the less formation current, which should be large enough to push the current sheet out of the formation electrode, and mitigates the capacitor banks for CT formation. The minimum bias magnetic field to avoid the blowby phenomenon is derived through the optimization

of the acceleration part. The design of the CT formation part is determined using this bias magnetic field.

CT injection experiment on LHD is intended for the active particle control as well as the center fueling. This will be the first CT application on the helical plasma. In the helical magnetic field, the CT traces the threedimensional trajectory, which can be used to inject the CT momentum effectively [19]. A design of CT injector for LHD is given in this study. One of the main goals of this design is to achieve the highest acceleration efficiency while avoiding the blowby phenomenon. Device parameters of the injector including its fueling ability and the technological conditions that limits the size of electrodes are given in section 2. The point-model that describes the motion of CT in the co-axial electrode is introduced in section 3, and the acceleration efficiencies calculated by the point-model are compared with that obtained from the analytic model. Compression parameters of the conical accelerator suggested in this introduction are estimated assuming the adiabatic condition and given in section 4. The optimized acceleration electrode design and the resultant condition for CT formation such as the minimum bias magnetic field are also given. experimental scenario to carry out the CT injection on LHD is discussed in section 5, together with the injector design that has been already assembled. Summary is given in section

### 2. Design parameters of CT injector for LHD

LHD is the largest super-conducting fusion machine with the heliotron configuration. The major radius of the torus is 3.9 m and the magnetic field strength on the plasma center is 3 T. The field period around the torus is 10, and the pole number of helical coil winding is two. The plasma minor radius is changeable from 0.5 m to 0.65 m, by controlling the ratios of coil currents in helical coils and poloidal coils. In the standard configuration, the major radius of the LHD plasma is 3.75 m. Details of LHD and its program are presented in refs. 22 and 23.

The design parameters of the CT injector for LHD are summarized in Table I. Fuel plasmoid with weigh of about 0.1 mg, which corresponds to about 10 % of LHD plasma particles, will be injected. Although this CT mass can be controlled by changing the gas pressure in the formation part before the discharge or changing the working gas to heavier one such as He, the weight of 0.1 mg is assumed almost

throughout this study. Mass dependence of the acceleration efficiency is discussed in section 5. Target velocity is more than 500 km/s and CT kinetic energy over 15 kJ should be achieved to carry out the CT injection into 3 T LHD plasmas.

Nine parameters listed in Table II are used to describe the CT acceleration electrodes. This acceleration part has conical shape as shown in Fig. 1. Three parameters  $(R_{inf}, C_{acc}, and E_{acc})$  are mainly discussed in this paper while other six parameters are determined as below. The outer electrode radius at the exit of acceleration part  $R_{out2}$  determines the radius of an injected CT. Small CT is favorable because the perturbation caused by CT injection should be smaller and localized. In our case,  $R_{out2}$  (= 0.07 m) is determined to be about one tenth of the typical averaged minor radius of LHD. Total amount of particles  $N_{CT}$  and the CT lifetime  $\tau_{CT}$  are related to the size of CT at the entrance of the acceleration part that is defined as  $R_{out1}$ . Although large  $R_{\text{out}1}$  is favorable to increase both of  $N_{\text{CT}}$  and au CT, extremely large  $R_{\rm out1}$  results in an unfavorably large size CT injector. In the present case,  $R_{out1}$  (= 0.17 m) is more than twice larger than  $R_{out2}$ , while it allows the use of the standard flanges (ICF406, for instance). Aspect ratio of CT at the exit of the acceleration part  $A_2$  is determined by  $R_{out2}$  and  $R_{m2}$  as  $A_2 \equiv R_2/a_2$  (  $a_2 \equiv$  $(R_{\text{out2}}-R_{\text{m2}})/2$ , and  $R_2 \equiv R_{\text{m2}}+a_2$ ). Because the aspect ratio just after the exit of the acceleration part is one, A, should be as small as possible to avoid the large modification of CT shape. Therefore,  $R_{m2} = 0.02$  m is adopted. Note that extremely small  $R_{m2}$  should not be chosen because the Joule heating by the acceleration current might melt down the electrode The external inductance  $L_{\rm ext}$  and the circuit resistance  $R_{\rm c}$  should be as small as possible to maximize the acceleration efficiency & as will be discussed in the next section. The length of the acceleration part l should be long enough to have large L that results in large ε and to realize slow and selfsimilar compression. Extremely large l might increase the impurity level contained in a CT and enlarge the size of CT injector, on the other hand. In this study, l = 3.2 m is adopted. Other cases with l = 0.8m and l = 1.6m are also examined in sections 4 and 5. As will be mentioned there, l =0.8m is adopted in our first CT injector named SPICA mk. I.

## Point-model of acceleration and acceleration efficiency ε

One-dimensional motion of a CT in the

Table I. Design parameters for SPICA mk. I.

CT volume, $V_{(T)}(m')$	1×10 3 to 5×10 3
CT electron density, $n_e$ (m <sup>-3</sup> )	$1 \times 10^{21}$ to $2 \times 10^{22}$
CT mass, $m_{CT}$ ( $\mu$ g)	2 to 170
Particle inventory, $N_{CT}$	$1 \times 10^{18}$ to $1 \times 10^{20}$
CT magnetic field, $B_{CT}$ (T)	10 to 30
CT initial velocity, $v_0$ (km/s)	200 to 500
CT kinetic energy $E_{CT}$ (kJ)	> 15
CT electron temperature $T_e$ (eV)	10 to 100
Working gas	H <sub>2</sub> He, Ne etc

Table II Main parameters used to design the acceleration electrode.

to be optimized.
0 17
0 02
0 07
32(/16/08)
< 0.03
to he optimized.
to be optimized.
$< 5 \times 10^{-7}$

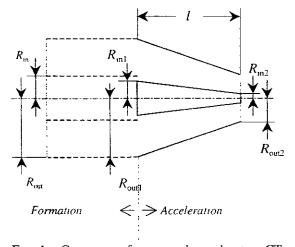


Fig. 1 Geometry of a conical accelerator. CT enters from the left-hand-side and exits to the right-hand-side. CT formation electrode is drawn by broken lines

acceleration electrode is described by the pointmodel introduced by Hammer *et al.* in ref. 7. Although their model assumes no resistivity in the acceleration circuit, it agrees well with experimental results. The point model with consideration of circuit resistivity  $R_c$  consists of three equations below,

$$L_{i} = L_{ext} + L, \qquad (1)$$

$$\frac{d^{2} I_{acc} L_{t}}{dt^{2}} + R_{c} \frac{d I_{acc}}{dt} + \frac{I_{acc}}{C_{acc}} = 0, \qquad (2)$$

$$m_{\rm cr} \frac{\mathrm{d}^2 x}{\mathrm{d} t^2} = \frac{1}{2} L' I_{\rm acc}^2 - F_{\rm drag} ,$$
 (3)

where  $L = \int_0^t L' \mathrm{d} x$  ( $L' = \mu_0 / (2\pi) \ln(R_{\text{out}}(x) / R_{\text{in}}(x))$ , and  $0 \le x \le l$ ) is the inductance of the co-axial electrode,  $L_t$  is the total inductance of the acceleration circuit,  $I_{\text{acc}}$  is the circuit current,  $C_{\text{acc}}$  is the capacitance of the acceleration bank,  $m_{\text{CT}}$  is the CT mass, and  $F_{\text{drag}}$  is the drag force. In this study,  $F_{\text{drag}} = 0$  is assumed since it is negligibly small as in ref. 7. Time dependence of  $R_c$  is neglected in Eq. (2), although it consists of time-dependent component such as plasma resistivity and electrode resistivity that depends on the CT position in the electrode. Since the plasma resistivity of the order of  $10^{-4}$   $\Omega$  is negligible in our case, this approximation is valid as long as the

electrode resistivity (of the order of  $10^{-3}~\Omega$ ) is smaller enough than the other circuit resistivity. In a general straight co-axial electrode, the inner-electrode radius  $R_{\rm out}$  are constant and  $L_{\rm t} = L_{\rm ext} + L x$ . In the case of the conical accelerator,  $R_{\rm int}(x) = R_{\rm int} + (R_{\rm in2} - R_{\rm int}) \cdot x/l$  and  $R_{\rm out}(x) = R_{\rm out} + (R_{\rm out2} - R_{\rm out}) \cdot x/l$ . Using the expressions in Eqs (1) - (3), the CT kinetic energy  $E_{\rm CT}$  is given by  $m_{\rm CT}({\rm d}x/{\rm d}t)^2/2$  and the acceleration bank energy  $E_{\rm acc}$  is given by  $C_{\rm acc}V_{\rm acc}^2/2$ , where  $V_{\rm acc}$  is the bank voltage.

The fourth-order Runge-Kutta method is used to solve Eqs. (1) - (3). Figure 2 shows the calculation results for a straight co-axial electrode with  $R_{out}/R_{m} = 2$  and l = 3.2m. Three different cases are calculated while changing  $C_{acc}$  and  $R_{cc}$ As seen in the differences between Fig. 2(a) and Fig. 2(b), CT obtains less kinetic energy when  $R_{\rm c}$ is not zero. The energy loss due to  $R_c$  occurs mainly in the current increasing phase (before  $t \sim$ 5  $\mu$  sec) and then  $E_{\rm CT}$  gradually increases. In other words, the transfer of the energy from the acceleration bank  $(E_{acc})$  to the CT  $(E_{CT})$  occurs mainly after the current peaks. Therefore the current peak should be obtained before the CT exits the acceleration electrode and smaller  $C_{acc}$ should be used because the oscillation frequency

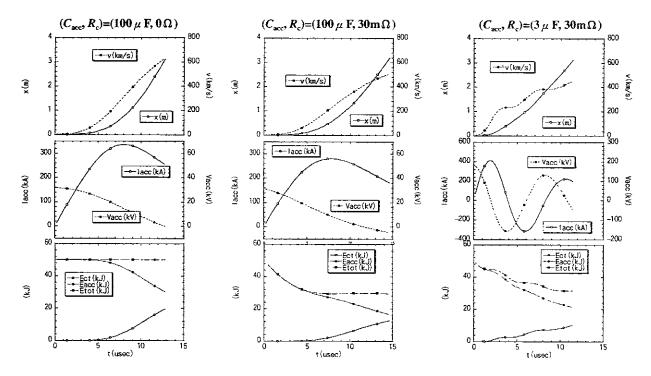


Fig. 2 Calculated waveforms of CT position x and CT velocity v (top), acceleration current  $I_{\rm acc}$  and acceleration voltage  $V_{\rm acc}$  (middle), CT kinetic energy  $E_{\rm CT}$ , circuit energy  $E_{\rm acc}$  and the total energy  $E_{\rm tot} = E_{\rm CT} + E_{\rm acc}$  (bottom). Assumed  $C_{\rm acc}$  and  $R_{\rm c}$  are indicated on the top of each column.

of this LCR circuit is proportional to  $1/C_{\rm acc}^{1/2}$ . Note that extremely small  $C_{\rm acc}$  results in the large acceleration bank voltage  $V_{\rm acc}$ , which might be not realistic, to obtain the same bank energy as in moderate  $C_{\rm acc}$  case. Moreover, too small  $C_{\rm acc}$  results in the oscillation of the current as shown in Fig. 2(c) and  $E_{\rm CT}$  is not necessarily larger than that obtained with moderate  $C_{\rm acc}$  (as in Fig. 2(b)). The voltage reversal should be avoided since it is harmful to the circuit, and especially to the high-voltage trigger system that uses ignitrons. The current damping condition  $R/(2L) > 1/\sqrt{LC}$  should be fulfilled for this requirement.

The acceleration efficiency function of  $C_{acc}$  is calculated using different values of  $R_c$  and  $E_{acc}$ , where the other parameters such as  $L_{\text{ext}}$  and the electrode shape L' are fixed The results are shown in Fig. 3. When  $R_c = 0$   $\Omega$ , the maximum of acceleration efficiency  $\varepsilon_{max}$  does not depend on  $E_{acc}$ . Finite  $R_c$  reduces  $\epsilon_{max}$  and the reduction rate is larger when  $E_{acc}$  is smaller. Although  $R_c$  degrades  $\varepsilon_{max}$ , the optimum  $C_{acc}$  that gives  $\varepsilon_{\text{max}}$  is not affected by  $R_{\zeta}$ . Coulomb numbers of the bank  $Q = C_{acc}V_{acc}$  calculated for the optimum cases are also constant, and  $Q \sim 2.4$ C in the case shown in Fig. 3. These observations mean that once an electrode is designed and assembled, the acceleration efficiency that can be achieved with the electrode is already determined. and the optimum  $C_{\rm acc}$  for each  $E_{
m acc}$  should be adopted to attain the largest  $\epsilon$ .

It is possible to show that  $\varepsilon_{\max}$  does not depend on  $E_{\rm acc}$  but on the ratio of the electrode inductance to the external inductance. Let us consider a general LCR circuit without external power supplies. The circuit equation is given by

$$L\frac{\mathrm{d}I}{\mathrm{d}t} + RI + \frac{Q}{C} = 0. \tag{4}$$

Zero-resistivity condition gives the harmonic oscillation with the eigenfrequency  $\omega_0 = 1/\sqrt{LC}$  as the solution. When the resistivity is finite, the solution is the damped oscillation where the amplitude decreases with time as  $\exp(-\gamma t)$  ( $\gamma = R/(2L)$ ). In the present case, dL/dt is not zero and the circuit equation is given by

$$\frac{\mathrm{d}(LI)}{\mathrm{d}t} + RI + \frac{Q}{C} = L\frac{\mathrm{d}I}{\mathrm{d}t} + \left(\frac{\mathrm{d}L}{\mathrm{d}t} + R\right)I + \frac{Q}{C} = 0, (5)$$

instead of Eq. (4). Note that Eq. (2) is obtained by differentiating Eq. (5) with t. It can be seen in Eq.

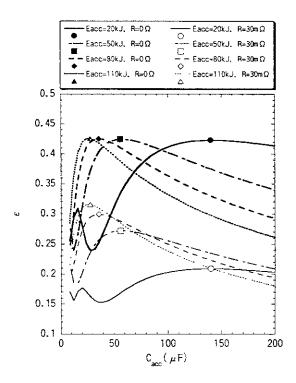


Fig. 3 Acceleration efficiency as a function of  $C_{\rm acc}$ . Straight co-axial electrode geometry with l=3.2 m,  $R_{\rm out}/R_{\rm in}=2$ ,  $m_{\rm CT}=0.1$  mg,  $F_{\rm drag}=0$  N,  $v_0=5$  km/s and  $L_{\rm ext}=0.5$   $\mu$  H are used in this calculation, where  $E_{\rm acc}$  and  $R_{\rm c}$  are scanned as indicated on the top of the figure. The maximum efficiencies are marked with symbols.

(5) that dL/dt plays the same role as R, and therefore gives the damped oscillation as the solution even if R=0. Here let L and dL/dt be fixed to evaluate the order of damping time constant  $\gamma$ . These are not constant in practical situation since L is the function of the current sheet position x in the electrode and dL/dt depends on the velocity v=dx/dt. Using fixed parameters, i.e,  $L'=L_{\rm ext}+L/2$  and  $dL'/dt=(L_{\rm ext})/\tau_{\rm acc}=L/\tau_{\rm acc}$ , the approximated damping time constant  $\gamma$  for zero-resistivity is given by

$$\gamma' = \frac{dL'/dt}{2L'} = \frac{L}{2L_{co} + L} \frac{1}{\tau_{sc}} = \frac{m}{2 + m} \frac{1}{\tau_{sc}},$$
(6)

where  $m \equiv L/L_{\rm ext}$  The energy of the circuit decreases as  $(\exp(-\gamma^*t))^2$  and the lost energy should be equal to the CT kinetic energy to fulfill the energy conservation law. Therefore, the

approximated CT kinetic energy  $E_{CT}$  is given by

$$E_{\text{CT}} = E_{\text{acc}}(1 - \exp(-2\gamma^* t)). \tag{7}$$

The ratio of  $E_{\text{CT}}^*$  with  $t = \tau_{\text{acc}}$  to the bank energy  $E_{\text{acc}}$  gives the approximated efficiency  $\epsilon$ ;

$$\varepsilon' = \frac{E_{\text{cr}}}{E_{\text{acc}}} = 1 - \exp(-2\gamma' \tau_{\text{acc}}) = 1 - \exp\left(-\frac{m}{2+m}\right). \tag{8}$$

This function is shown in Fig. 4 with a solid line. The maximum efficiencies calculated using the fourth-order Runge-Kutta method with different parameters are also plotted in the figure. It can be seen that  $\varepsilon$  approximates  $\varepsilon$  max well. The key to obtain large  $\varepsilon$  max lies in m. Therefore, large L and/or small  $L_{\rm ext}$  are the indispensable conditions for a high performance CT injector.

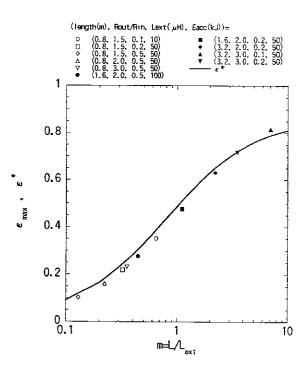


Fig. 4 The maximum efficiencies calculated for various parameter sets and the approximated efficiency  $\varepsilon$  (solid line). Straight co-axial electrode geometry,  $m_{\rm CT}=0.1$  mg.  $F_{\rm drag}=0$  N,  $v_0=5$  km/s are fixed throughout the optimization.

# 4. Adiabatic compression using conical accelerator and formation electrode design

As mentioned in the introduction, the adiabatic compression heating using a conical accelerator is effective to increase  $\tau$ <sub>CT</sub>. The adiabatic conditions  $~\tau_{\rm ce},~\tau_{\rm ii},~\tau_{\rm A}\ll \tau_{\rm comp}\ll \tau_{\rm E},$  $\tau_{\rm CT}$  , should be fulfilled to realize compression heating, where  $\tau_{\infty}$  and  $\tau_{ii}$  are electron-electron and ion-ion collision time, respectively, and  $\tau_F$ is energy confinement time. The relations between these time constants, which are calculated using typical parameters described in Table I, are depicted in Fig. 5. Although  $\tau_E$  is unknown, r comp should be sufficiently larger than  $\tau_A$ , because  $\tau_A \ll \tau_{comp}$  is needed to realize the self-similar compression. The largest  $\tau_{comp}$  is obtained when the length of the compression cone and that of the acceleration electrode are the same and  $\tau_{comp} = \tau_{acc}$  as is the case of the conical accelerator. Here let us calculate the compression parameters assuming the adiabatic condition. Each of parameters of general toroidal plasma depends on the CT minor radius a and the CT major radius R as listed in Table III. The relations in Table III are obtained assuming the adiabatic condition  $T \cdot n^{1-5/3} = constant$ , and  $B_p \sim B_r$ .

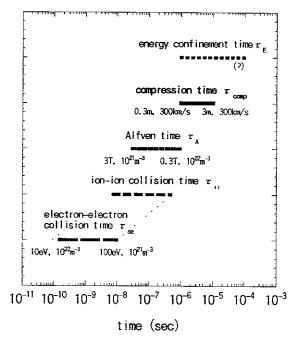


Fig. 5 Characteristic time scales of typical CTs and accelerators.

Table III. Adiabatically compressed parameters as functions of the minor radius a and the major radius R of toroidal plasma. The adiabatic condition  $T \cdot n^{1-5/3} = constant$  and  $B_1 \sim B_p$  are assumed.

Toroidal field strength,B,	∞ a <sup>-2</sup>
Poloidal field strength, $B_p$	$\propto a^{-1} R^{-1}$
Plasma volume, V	$\propto a^2 R$
Plasma density, n	$\propto a^{-2} R^{+}$
Plasma temperature, T	$\propto a^{-4/3} R^{-2/3}$
Plasma pressure, p	$\propto a^{10/3} R^{5/3}$
Magnetic pressure, $\infty B^2$	$\propto a^{-2}(a^{-2} + R^{-2})$
Plasma beta, β	$\propto a^{-4/3}R^{-5/3}(a^{-2}+R^{-2})^{-1}$

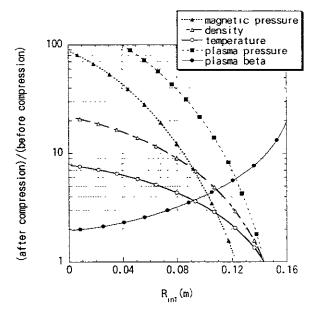


Fig. 6 Compression parameters of adiabaticaly compressed toroidal plasmas, where  $R_{\rm out1} = 0.17$  m,  $R_{\rm out2} = 0.07$  m and  $R_{\rm in2} = 0.02$  m are fixed. Adiabatic condition of  $T \cdot n^{1.5/3} = constant$  and  $B_{\rm p} \sim B_{\rm r}$  are assumed.

The increment factors are calculated and shown in Fig. 6. The temperature (density) increases more than four (eight) times after the compression when  $R_{\rm inl}$  is smaller than the half of  $R_{\rm out1}$  (= 0.17 m). The large plasma pressure might cause some pressure driven instability on the other hand. In the present case, the pressure increases more than thirty times when  $R_{\rm inl} < R_{\rm out1}/2$ . However, the increase in the magnetic

field pressure helps to suppress the increase of plasma beta lower than a factor of three even in that case. The CT magnetic field  $B_{\rm CT}$  should be larger than the magnetic field  $B_{\rm acc}$  generated by the acceleration current. Otherwise, the CT might be deformed and normal acceleration will hardly be realized [5-7]. This is called "blowby" effect. In the case of a conical accelerator,  $B_{\rm CT}$  increases during acceleration when the compression is effective. The least magnetic field strength at the entrance of conical accelerator,  $B_{\rm OI}$ , should be determined using the condition that  $B_{\rm CT}$  is always larger than  $B_{\rm acc}$  during the acceleration phase.

To optimize the electrode design,  $C_{acc}$  is scanned to obtain the largest  $\varepsilon$  for each  $R_{m1}$ where l = 3.2 m,  $R_{out1} = 0.17$  m.  $R_{out2} = 0.07$  m,  $R_{\rm in2} = 0.02$  m, and  $E_{\rm acc} = 75$  kJ are fixed. Three different cases of  $(L_{\rm ext}, R_{\rm c}) = (0.2 \,\mu\,{\rm H}, \,0\,\Omega), \,(0.5$  $\mu$  H,  $0\Omega$ ), and  $(0.5 \mu$  H,  $0.03 \Omega$ ) are calculated and the optimum values of  $C_{\mathrm{acc}}$ ,  $V_{\mathrm{acc}}$ , and  $\varepsilon$  are plotted as functions of  $R_{\rm in1}$  in Fig. 7. The least  $B_{01}$ in each case are also shown in the figure. The maximum  $\varepsilon$  increases as  $R_{\rm inl}$  decreases, and in this sense,  $R_{m1}$  should be as small as possible. On the other hand, the optimum  $V_{\text{acc}}$  is large when  $R_{\text{in}1}$ is small. One can determine the optimum  $R_{\rm inl}$ using Fig. 7. First, the target CT kinetic energy and ε determine the bank energy. In our case,  $E_{\rm CT} \ge 15$  kJ should be achieved and more than 38 % of  $\varepsilon$  is expected for  $R_{\rm in1} \leq 0.07$  m. Therefore,  $E_{acc} = 40 \text{ kJ}$  is enough to obtain the target  $E_{\rm CT}$ . Note that  $\varepsilon$  is not affected by  $E_{\rm acc}$ when  $R_c = 0$ , as is already mentioned in section 2. Using the fact that  $Q = C_{acc}V_{acc}$  is also unchanged by  $E_{\rm acc}$  (see section 2), the relation  $E_{\rm acc} \propto V_{\rm acc}$  is obtained. Thus  $V_{acc}$  in Fig. 7 can be reduced to about half because  $E_{acc} = 75 \text{ kJ}$  is used to obtain the figure. When  $V_{\text{acc}}$  is limited to 40 kV, for instance,  $R_{in1} = 0.07$  m can be chosen with  $E_{acc} =$ 42.4 kJ, and the achievable  $E_{CT}$  is 14.5 kJ in that case (  $L_{\rm ext} = 0.5 \,\mu$  H and  $R_{\rm c} = 0.03 \,\Omega$  ). One should note that the maximum  $\epsilon$  slightly decreases with  $E_{acc}$  when  $R_c$  is not negligible (see Fig. 3). The least  $B_{01}$  for  $R_{m1} = 0.07$  m is 0.62 T in Fig. 7. This can be also reduced if small  $E_{acc}$  is adopted. In the case of  $E_{acc} = 42.4$  kJ,  $B_{01}$  is calculated to be

The next step is to design the formation electrode. The inner radius of the formation electrode  $R_{\rm in}$  should be slightly larger than that of the accelerator electrode  $R_{\rm in1}$ , to isolate electrically from each other (see Fig. 1). Let this gap be 0.02 m, then  $R_{\rm in}$  should be 0.09 m. The outer radius of the formation electrode  $R_{\rm out}$  is

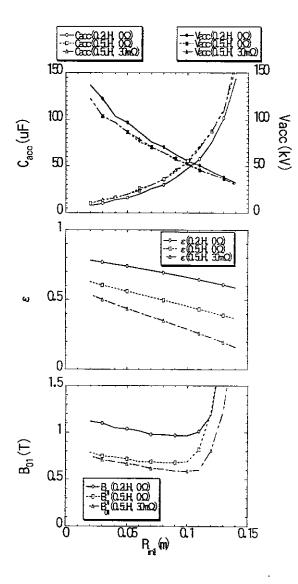


Fig. 7 Optimized parameters in three different cases. The optimum  $C_{\rm acc}$  and  $V_{\rm acc}$  (top), the acceleration efficiency  $\varepsilon$  (middle), and the least magnetic field strength at the entrance of the acceleration part  $B_{01}$  (bottom) are shown as functions of  $R_{\rm in1}$ . Assumed  $R_{\rm c}$  and  $L_{\rm ext}$  are indicated in each plot. The other parameters such as  $E_{\rm acc} = 75$  kJ, l = 3.2 m,  $R_{\rm out1} = 0.17$  m,  $R_{\rm out2} = 0.07$  m,  $R_{\rm in2} = 0.02$  m,  $m_{\rm CT} = 0.1$  mg,  $F_{\rm drag} = 0$  N,  $v_0 = 1$  m/s are fixed throughout this optimization.

defined to be the same as that of the accelerator, thus  $R_{\rm out} = R_{\rm out1} = 0.17$  m. The gap distance  $\Delta d$  between the inner- and the outer-electrode is 0.08 m in this case. The CT magnetic field  $B_{\rm CT}$  should be the same as or larger than  $B_{\rm 01}$  calculated in Fig.

7. Another important parameter to be determined is the formation current  $I_{\text{form}}$ . There is a relation, which should be fulfilled to form a CT, between  $\Delta d$  and  $I_{\text{torm}}$  as

$$I_{\text{torm}} > \frac{\pi}{\Delta d} \frac{\Phi_{\text{bias}}}{\mu_{\text{o}}},$$
 (9)

where  $\Phi_{\rm bias}$  is the bias magnetic flux passing through the inner electrode. This means that the magnetic pressure generated by  $I_{\rm form}$  should be larger than the drag force due to the magnetic pressure of the bias magnetic field. This equation gives the least  $I_{\rm torm}$  and has been confirmed by experimental observations (refs. 30-32). The CT magnetic field  $B_{\rm CT}$  is derived from  $B_{\rm torm}$  (toroidal component) and  $B_{\rm bias}$  (poloidal component) defined as below,

$$B_{\text{form}} = \frac{\mu_0 I_{\text{torm}}}{2\pi (R_{\text{out}} + R_{\text{in}})/2},$$
 (10)

$$B_{\text{bus}} = \frac{\Phi_{\text{bias}}}{\pi R_{\text{m}}^2} \,. \tag{11}$$

In a force-free magnetic configuration such as spheromak, the magnetic helicity (which is proportional to the multiple of toroidal- and poloidal-magnetic fluxes) is conserved [30, 33]. Let us define the helicity  $K = 2\Phi_1\Phi_2$ , where  $\Phi_1 = B_{\text{form}}S_1$  and  $\Phi_2 = B_{\text{bias}}S_2$ . After the magnetic reconnection, the averaged strengths of the toroidal-magnetic fields  $B_1 = \Phi_1/S_1$  and poloidal-magnetic fields  $B_p = \Phi_2/S_2$  are almost the same in a spheromak and  $2\Phi_1/\Phi_2/S_1 = 2B_{\text{form}}B_{\text{bias}} \cdot S_1S_2$  since the helicity is conserved. Therefore,  $B_{\text{CT}}^2 = B_1/B_p = \Phi_1/\Phi_2/(S_1/S_2) = B_{\text{lorm}}B_{\text{bias}}$  when  $S_1=S_1/S_1$  and  $S_2=S_2/S_1/S_2$ , or,

$$B_{\rm CT} = \sqrt{B_{\rm form} \cdot B_{\rm bas}} \ . \tag{12}$$

Let  $I_{\text{form}}$  be equal to the right-hand-side of Eq. (9), to obtain the relations below,

$$I_{\text{borm}} = \alpha B_{\text{CT}}, \tag{13}$$

$$\alpha = \frac{\pi R_{\rm in}}{\mu_0} \sqrt{\frac{\pi (R_{\rm out} + R_{\rm in})}{R_{\rm out} - R_{\rm in}}} \ . \tag{14}$$

The factor  $\alpha$  is plotted in Fig. 8 as a function of  $R_{\rm in}$ , where  $R_{\rm out} = 0.17$  m is fixed. The minimum  $I_{\rm form}$  is derived using Eq. (13) and substituting  $B_{01}$ 

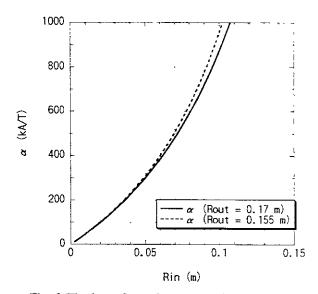


Fig. 8 The least formation current factor  $\alpha$  as a function of  $R_{\rm in}$  ( $I_{\rm form} = \alpha B_{\rm CT}$ ). Solid line shows  $\alpha$  in the case of  $R_{\rm out} = 0.17$  m, which is the same as the radius of acceleration outer-electrode at the entrance  $R_{\rm out}$ , and dashed line is that of  $R_{\rm out} = 0.155$  m, which is the case of SPICA mk. I as shown in Fig. 9.

for  $B_{\rm CT}$ . From Eq. (14),  $\alpha$  is calculated to be 719.0 kA/T. If  $B_{\rm 01}$  of 0.46 T is needed, 719.0  $\times$  0.46 =330.7 kA of  $I_{\rm 1orm}$  should be supplied at least

As will be mentioned in the next section, three types of conical accelerator are considered The difference between them is the length of the acceleration electrode I. Although the long electrode of l = 3.2 m has the merit of large efficiency, both the construction cost and the technological difficulty increase. Therefore, other two cases with l = 0.8 m and l = 1.6 m are also optimized according to the process already mentioned above for l = 3.2 m. The optimized parameters are listed in Table IV. The available voltage for  $V_{acc}$  is limited to 40 kV or 20 kV in this series of optimization. The moderate length electrode of l = 1.6 m is still usable since the achievable  $E_{CT}$  is over 7 kJ which is enough for CT injection into 1.5 T LHD magnetic field The shortest length electrode of l = 0.8 m can achieve only 3.4 kJ of  $E_{CT}$  in the optimum condition, and it is also difficult to fulfill the adiabatic condition because of the small  $\tau_{acc}$  (=  $\tau_{comp}$ ).

Table IV. The optimized parameters for different acceleration electrode lengths and voltage limits.

Device Name	SPICA mk. I	SPICA mk. I	SPICA mk. II	SPICA mk. II	SPICA mk III	SPICA mk. III
Assumed		<del>.</del>				
parameters						
l (m)	0.8	0.8	1.6	1.6	3.2	3 2
$R_{\rm ml}$ (m)	0.07	0 07	0.07	0.07	0.07	0 07
$R_{out1}$ (m)	0.17	0 17	0.17	0.17	0.17	0 17
$R_{\rm m2}$ (m)	0.02	0.02	0.02	0.02	0.02	0.02
$R_{\text{out2}}$ (m)	0.07	0.07	0.07	0.07	0 07	0.07
L(H)	$1.6 \times 10^{-7}$	$1.6 \times 10^{-7}$	$3.2 \times 10^{-7}$	$3.2 \times 10^{-7}$	$6.4 \times 10^{-7}$	$6.4 \times 10^{-7}$
$L_{\rm ext}$ (H)	$5.0 \times 10^{-7}$	$5.0 \times 10^{-7}$	$5.0 \times 10^{-7}$	$5.0 \times 10^{7}$	$5.0 \times 10^{-7}$	$5.0 \times 10^{-7}$
$R_{\rm c}(\Omega)$	$3.0 \times 10^{-2}$					
$m_{\rm CT}$ (kg)	$1.0 \times 10^{-7}$					
$v_0$ (m/s)	10	1.0	10	1.0	1.0	10
$V_{acc}(V)$	$2.0 \times 10^{4}$	4.0×10 <sup>4</sup>	$2.0 \times 10^{4}$	$4.0 \times 10^{4}$	$2.0 \times 10^{4}$	4 0×10 <sup>4</sup>
Optimized						
parameters						
$E_{\rm acc}$ (J)	$1.10 \times 10^{4}$	$2.19 \times 10^{4}$	$1.55 \times 10^4$	$3.10 \times 10^{4}$	$2.12 \times 10^{4}$	$4.24 \times 10^{4}$
$C_{acc}(F)$	$5.48 \times 10^{-5}$	$2.74 \times 10^{-5}$	$7.75 \times 10^{-5}$	$3.87 \times 10^{-5}$	$1.06 \times 10^{-4}$	5 30×10 <sup>-5</sup>
$I_{\rm acc}(A)$	$1.58 \times 10^{5}$	$2.35 \times 10^{5}$	$1.75 \times 10^{5}$	2.61×10°	1 89×10°	2 82×10°
$B_{ot}(T)$	0.25	0 37	0 28	0.41	0.31	0 46
$I_{\text{form}}(A)$	$1.80 \times 10^{2}$	$2.66 \times 10^{2}$	$2.01 \times 10^{2}$	$2.95 \times 10^{2}$	$2.23 \times 10^{2}$	$3.31 \times 10^{2}$
$\tau_{\rm acc}$ (s)	$1.17 \times 10^{-5}$	$8.03 \times 10^{-6}$	1 47×10 <sup>5</sup>	9.98×10 <sup>-6</sup>	$1.90 \times 10^{-5}$	128×10°
ε	0.135	0 157	0 207	0.244	0 286	0 342
$E_{CT}(J)$	$1.49 \times 10^{3}$	3.43×10 <sup>3</sup>	$3.20 \times 10^{3}$	$7.56 \times 10^{3}$	$6.07 \times 10^{3}$	$1.45 \times 10^{4}$

# 5. Experimental scenario to inject a CT into LHD

The goal of CT injection is to increase the core density of LHD plasmas. As is mentioned in the introduction, more than 15 kJ of  $E_{\rm CT}$  is necessary to carry out the effective CT injection into LHD plasmas confined in 3 T magnetic field. Considering the CT injection into 1.5 T magnetic field, the least  $E_{\rm CT}$  is reduced to about 4 kJ. Although 14.5 kJ of  $E_{\rm CT}$  can be achieved with the conical accelerator of length 3.2 m as mentioned in the sections above, the difficulty in making and handling of a long electrode and its construction cost increase. Therefore, short conical accelerator of length 0.8 m is adopted in the first step. The scenario to achieve our goal is like this;

step 1) develop the formation electrode and 0.8 m conical accelerator, install the formation banks and carry out CT formation experiments,

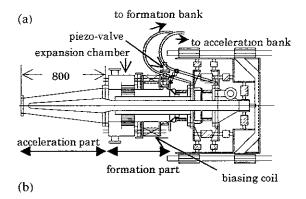
step 2) install the acceleration banks and carry out CT acceleration experiments,

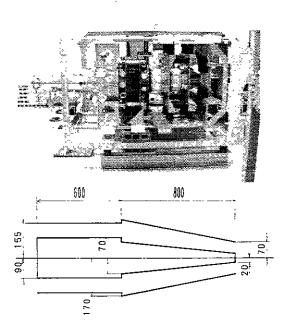
step 3) develop 1.6 m conical accelerator and carry out CT acceleration experiments,

step 4) develop 3.2 m conical accelerator and carry out CT acceleration experiments.

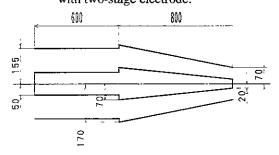
In any step where  $E_{CT} = 15 \text{ kJ}$  is achieved, the scenario goes to the final step that includes the CT injection experiments on LHD. In the case of LHD, the distance from the injection port to the core of LHD plasma is as long as 4 m. The injected CT should fly a few meters after the acceleration electrode without any supports by conducting shells, and suffering the stray magnetic field of LHD. The target transfer distance is set to 5 m. Since such a long CT transfer has not been realized, how to support the CT from decaying or wandering is the major subject to be researched throughout this scenario. Reduction in the impurity level is another important subject. Baking technique and glowdischarge-cleaning are prepared to remove the impurities on the electrode surfaces. These wall conditioning will be carried out from the beginning of (and throughout) the experiments.

The CT injector named SPICA mk. I (SPheromak Injector using Conical Accelerator) was successfully assembled on March 1999. The design of this device is based on the results of this study. Schematic view and the photograph of SPICA mk. I are shown in Fig. 9. SPICA is equipped with some characteristic parts that





(c) Geometry of one-stage operation with two-stage electrode.



(d) Geometry of one-stage electrode.

Fig. 9 (a) Schematic of SPICA mk. I and (b) the photograph from the same view point. Electrode geometry used to examine the one-stage operation with electrically connected two inner-electrodes is shown in (c), and the geometry of one-stage electrode after removal of the formation inner-electrode is depicted in (d).

cannot be seen on the other CT injectors, such as the conical electrode, the expansion chamber for strong differential pumping, and fast piezo-valves for gas injection into the formation part. The expansion chamber is necessary to pump out the neutral gas that is not ionized in the injector. The inflow of neutral gas into the main plasma is not favorable because this makes it difficult to see the fueling effect only by a CT. Although this chamber is equipped with a turbo molecular pump of pumping rate 1,000 l/s, inside of this chamber will be Ti coated to obtain the larger pumping rate of over 20,000 l/s. Another turbo molecular pump of pumping rate 200 l/s is also equipped on the acceleration electrode flange to pump the volume between the two inner-electrodes of formation and acceleration. Use of fast piezo-valves, of which the time for full open to full close (or vice versa) is less than 10<sup>-3</sup> s, are also different from the other CT injectors which adopt the solenoid-valves in general. Stable flow rate and less mechanical shocks are the merits of the piezo-valves compared to the solenoid-valves. Hot silicone oil of temperature ~140 °C is circulated inside the acceleration inner-electrode to bake out the water on its surface. The outer-electrode is also baked using ribbon-heaters. The biasing coil is set around the outer electrode of formation part. This coil consists of copper conductor of 4 mm × 9 mm cross-section that is wound 201 turns.

According to the results of section 4, SPICA mk.I can achieve only small & 15.7 %) since the length is short and thus the inductance of acceleration part is small compared with  $L_{\text{ext}}$ . Reduction in  $L_{\text{ext}}$  or  $R_{\text{c}}$  is effective to attain larger & although it is technological issue and might be difficult. The mass of CT affects & as will be mentioned later in this section. therefore larger ε can be also obtained by optimizing  $m_{CT}$ . The key parameter for large  $\varepsilon$ is the electrode inductance L. To make a full use of this feature, a common power supply to acceleration and formation, i.e., connection of two inner electrodes is considered as an option in SPICA mk. I. In this case, only one power supply forms and accelerates the CT. Although the optimization in sections above implicitly assumes two power supplies for formation and acceleration, it is still possible to apply the optimization process to this "one-stage operation". Reduction in the number of power supply results in the large cost reduction at the same time. The difficulty in this operation is mainly in the CT formation part. The least  $B_{CT}$  to avoid blowby phenomenon and resultant I<sub>form</sub> can be determined independently of  $E_{\rm acc}$  in the section 4. In the case of one-stage

operation,  $I_{\text{lorm}}$  is a function of  $E_{\text{acc}}$ , which plays two roles of formation and acceleration. Therefore once the electrode geometry and  $E_{\text{acc}}$  are determined, the condition to avoid the blowby phenomenon can be calculated. In the case of SPICA mk. I,  $\varepsilon$ ,  $E_{\text{CT}} = \varepsilon E_{\text{acc}}$ , and  $I_{\text{max}}/(\alpha B_{\text{in}})$  are plotted as functions of  $E_{\text{acc}}$  in Fig. 10. In this series of calculation,  $C_{\text{acc}} = 400 \,\mu\,\text{F} \,(100 \,\mu\,\text{F})$  is fixed to limit  $V_{\text{acc}} \leq 20 \,\text{kV} \,(40 \,\text{kV})$  with  $E_{\text{acc}} \leq 80 \,\text{kJ}$ . The electrode geometry used in this

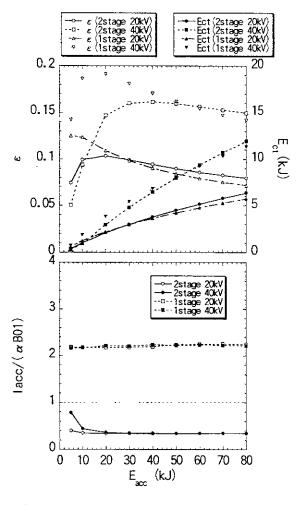


Fig. 10 Acceleration efficiency and CT kinetic energy within the limitation of acceleration voltage (top figure). The bottom figure is the ratio of  $I_{\rm acc}$  to the least formation current  $\alpha B_{01}$ , which should be larger than one to avoid the blowby phenomenon. The case of one-stage operation with two-stage electrode (Fig. 9(c)) and that of one-stage electrode (Fig. 9(d)) are calculated, while assuming  $m_{\rm CT}=0.1$  mg,  $F_{\rm drag}=0$  N,  $\nu_0=1$  m/s,  $L_{\rm ext}=0.48~\mu$  F, and  $R_{\rm c}=20$  m $\Omega$ . Fixed  $C_{\rm acc}$  (400  $\mu$  F /100  $\mu$  F) is used to limit  $V_{\rm acc}$  (20 kV/40 kV) within  $E_{\rm acc} \leq 80$  kJ in each scan.

calculation is shown in Fig. 9(c), and  $R_c = 30 \text{ m}\Omega$ ,  $m_{\rm CT}=0.1$  mg,  $L_{\rm ext}=0.5\,\mu\,{\rm H}$  are assumed. The parameter  $I_{max}/(\alpha B_{01})$  should be larger than one to avoid the blowby phenomenon because  $\alpha B_{01}$ gives the least  $I_{torm}$  (see Eq. (13)), and this is less than one in the case of SPICA mk. I. Since  $I_{\text{form}}$  is a function of  $\Delta d$  (see Eq. (9)), it is effective to remove the formation inner-electrode to extend the gap distance as shown in Fig. 9(d). The "one-stage parameters calculated for this electrode", while remaining other conditions the same as "two-stage electrode", are also shown in Fig. 10. In this case,  $I_{\text{max}}/(\alpha B_{01})$  is about two and large enough to avoid the blowby phenomenon. The optimization results for both one-stage and two-stage electrodes are depicted in Fig. 11. The maximum efficiency of the one-stage electrode is larger than that of the two-stage electrode, although the relation reverses at larger  $C_{acc}$  (or smaller  $V_{
m acc}$ ). This results mean that only if the blowby phenomenon were not to be expected, the two-stage electrode still has a merit of large ε as long as  $V_{\rm acc}$  is limited.

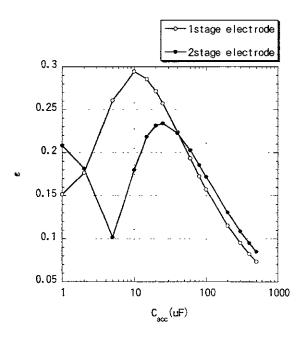


Fig. 11 The optimization results of one-stage electrode and two-stage electrode. Each electrode assumed in this optimization is shown in Fig. 9(c) or (d), and  $E_{\rm acc}=80$  kJ,  $R_{\rm c}=0.02~\Omega$ ,  $L_{\rm ext}=0.48~\mu$  H,  $F_{\rm drag}=0$  N,  $v_0=1$  m/s are assumed.

Up to this point, the CT mass is fixed to 0.1 mg. Here, let us examine the dependence of  $\varepsilon$  on  $m_{\rm CT}$ . Scanning  $m_{\rm CT}$  for the case of onestage electrode, Fig. 12 is obtained. The  $E_{\rm acc}$  is used as a parameter while the others such as  $C_{acc}$ (= 400  $\mu$  F),  $R_c$  (= 30 m $\Omega$ ) and  $L_{ext}$  (= 0.5  $\mu$  H) are fixed. In this case, there is a optimum  $m_{CT}$  that maximizes  $\varepsilon$  for each  $E_{acc}$ . The CT mass is controllable with the fuel-gas amount injected into the formation part. As can be seen in Fig. 12,  $\varepsilon$  is expected to be about 16 % for the one-stage operation. Thus,  $E_{CT} \sim 13$  kJ with  $m_{CT} \sim 1$  mg is achievable even when a compact capacitor bank of 20 kV - 80 kJ is used. Larger  $\varepsilon$  and  $E_{\rm CT}$  can be achieved by reducing  $R_c$  and  $L_{ext}$ , or increasing  $V_{\rm acc}$ .

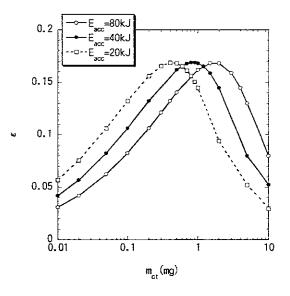


Fig. 12 The mass dependence of  $\varepsilon$  for one-stage electrode, where  $R_{\rm c}=0.02~\Omega$  and  $C_{\rm acc}=400~\mu$  F. Three curves correspond to different  $E_{\rm acc}$  of 20 kJ, 40 kJ, and 80 kJ. The other parameters used here are identical to that used in Fig. 11.

### 6. Summary

A point model of CT acceleration in coaxial electrode has been solved using the fourthorder Runge-Kutta method to obtain the optimum design of a CT injector. It was revealed that the ratio of electrode inductance to external inductance determines the acceleration efficiency. The high efficiency CT injector can be realized by reduction in the external inductance and enlargement of the volume inside the injector to increase the electrode inductance. Adiabatic heating of CTs using conical accelerator is also proposed. A conical electrode realizes the high temperature and the long lifetime of CT, as well as the large electrode inductance. The conditions to avoid the blowby phenomenon are introduced and applied to the design of the CT formation part. The optimum design is obtained by scanning various parameters for given conditions.

More than 34 % of acceleration efficiency and about 15 kJ of CT kinetic energy are expected with a long (3.2 m) acceleration electrode. This is enough to carry out the CT injection into LHD, although other difficulties such as impurity problems and technological issues for assembling are to be solved. Moderate length of 1.6 m electrode results in the less CT kinetic energy of 7.5 kJ in the optimum condition, but still available for CT injection into LHD plasmas with 1.5 T magnetic field. Our experimental scenario adopts the shortest 0.8m electrode as the first step Although only small acceleration efficiency of 15.7 % is expected for our first CT injector SPICA mk. I, this compact injector is useful to study the basic techniques of CT formation and acceleration. The possibility of one-stage operation is also pointed out in this paper. Only one power supply is needed in this operation. A simple modification of the injector configuration (removal of formation inner-electrode) will be necessary for this one-stage operation to avoid the blowby phenomenon.

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